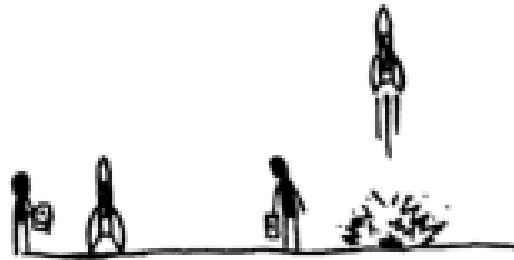


NAME _____ DATE _____

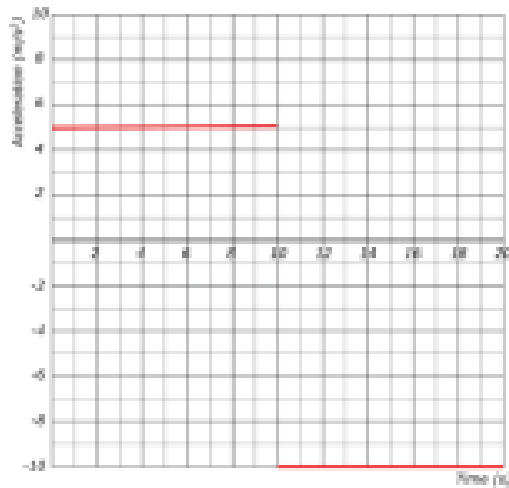
Scenario

A rocket fires its engines to launch straight up from rest with an upward acceleration of 5 m/s^2 for 10 seconds. After this time, the engine shuts off and the rocket freely falls straight down back to Earth's surface.

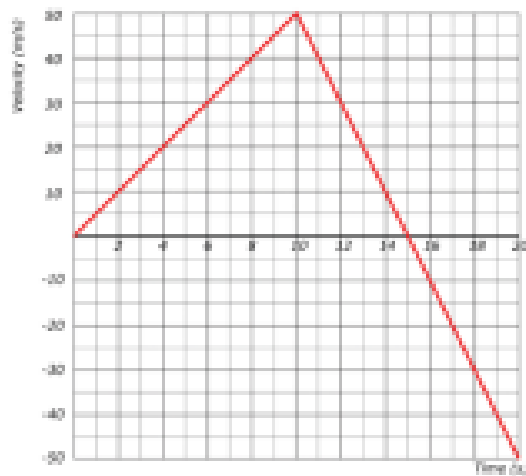


Using Representations

PART A: Draw a graph of the acceleration as a function of time from $t = 0$ seconds to $t = 20$ seconds.



PART B: Draw a graph of the velocity as a function of time from $t = 0$ seconds to $t = 20$ seconds.



Quantitative Analysis

PART C: Using the kinematics equation $y = y_0 + v_{y0}t + \frac{1}{2}a_y t^2$, a classmate writes out the following solution to find the time when the rocket lands back on Earth. Explain in one sentence, using terms such as acceleration, velocity, position, constant, changing, and zero, why the solution below is incorrect.

$$y = y_0 + v_{y0}t + \frac{1}{2}a_y t^2$$
$$0 = 0 + (0 \frac{m}{s})t + \frac{1}{2}(5 \frac{m}{s^2})t^2$$

The student is assuming that the acceleration is constant for the entire time and does not include the free-fall portion of the motion.

Argumentation

PART D: From your velocity vs. time graph in Part B, determine the time when the rocket reaches its maximum height.

Time for the rocket to reach its maximum height = *15 seconds*

Explain how you determined your answer.

The rocket continues upward until it reaches a velocity of zero meters per second. The slope of the velocity vs. time graph is 5 m/s/s for the first 10 seconds and then -10m/s/s. The velocity vs. time graph crosses the horizontal axis at t = 15 seconds. T = 15 seconds is where the velocity changes direction.

PART E: Make a claim about the numerical value of the rocket's maximum height.

The rocket's maximum height is equal to *375 m*

Evidence: What physical feature of the velocity vs. time graph supports your claim?

The area under the velocity vs. time graph is equal to the displacement of the rocket. At t = 15 seconds, height = 375 meters.